On q^λ and q_0^λ Invariant Sequence Spaces

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Abstract: Invariant sequence spaces are very helpful for investigations of the duality of sequence spaces. For instance, if the sequence space X satisfies the condition $\ell_\infty.X = X$ then its $\alpha-$, β- and γ- duals are same [5]. Garling [2] investigated B- and B_0- invariant sequence spaces and Buntinas [3] introduced and investigated q- and q_0- invariant sequence spaces and recently, Grosse-Erdmann [4] studied on ℓ_1 invariant sequence spaces.

In this work, we define q^λ and q_0^λ invariant sequence spaces, X with $q^\lambda.X = X$ and $q_0^\lambda.X = X$, respectively. and give some related theorems.

Keywords: K- spaces, λ-boundedness and λ-convergence of a sequence, β-, γ-, f- duality.

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