

# Asymptotically $\mathcal{I}_\lambda$ - Statistical Equivalent Sequences of weight $g$

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**Abstract:** This paper presents the following definition which is a natural combination of the definition for asymptotically equivalent of weight  $g$ ,  $\mathcal{I}$  - statistically limit, and  $\lambda$ - statistical convergence, where  $g : \mathbb{N} \rightarrow [0, \infty)$  is a function satisfying  $g(n) \rightarrow \infty$  and  $n/g(n) \rightarrow 0$ . The two nonnegative sequences  $x = (x_k)$  and  $y = (y_k)$  are said to be asymptotically  $\mathcal{I}^g$ - statistical equivalent of weight  $g$  to multiple  $L$  provided that for every  $\epsilon > 0$ , and  $\delta > 0$ ,

$$\{n \in \mathbb{N} : \frac{1}{g(\lambda_n)} |\{k \in I_n : |\frac{x_k}{y_k} - L| \geq \epsilon\}| \geq \delta\} \in \mathcal{I},$$

(denoted by  $x \overset{S_\lambda^L(I)^g}{\sim} y$ ) and simply asymptotically  $\mathcal{I}^g$ - statistical equivalent of weight  $g$  if  $L = 1$ . In addition, we shall also present some inclusion theorems.

**Keywords:** Asymptotical equivalent, ideal convergence,  $\mathcal{I}$ -statistical convergence,  $\lambda$ - statistical convergence, statistical convergence of weight  $g$

**2010 Mathematics Subject Classification:** 40A05, 40D25

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